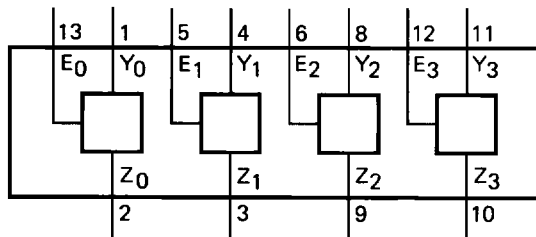


## QUADRUPLE BILATERAL SWITCHES

The HEF4066B has four independent bilateral analogue switches (transmission gates). Each switch has two input/output terminals (Y/Z) and an active HIGH enable input (E). When E is connected to  $V_{DD}$  a low impedance bidirectional path between Y and Z is established (ON condition). When E is connected to  $V_{SS}$  the switch is disabled and a high impedance between Y and Z is established (OFF condition).

The HEF4066B is pin compatible with the HEF4016B but exhibits a much lower ON resistance. In addition the ON resistance is relatively constant over the full input signal range.



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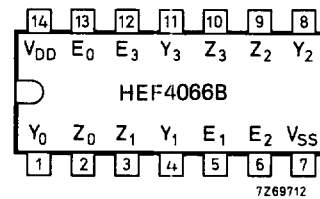
Fig. 1 Functional diagram.

### PINNING

E<sub>0</sub> to E<sub>3</sub> enable inputs

Y<sub>0</sub> to Y<sub>3</sub> input/output terminals

Z<sub>0</sub> to Z<sub>3</sub> input/output terminals



7Z69712

Fig. 2 Pinning diagram.

HEF4066BP(N): 14-lead DIL; plastic (SOT27-1)

HEF4066BD(F): 14-lead DIL; ceramic (cerdip) (SOT73)

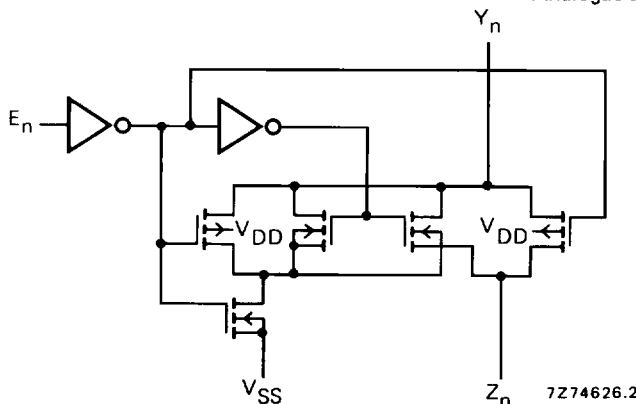
HEF4066BT(D): 14-lead SO; plastic (SOT108-1)

( ): Package Designator North America

### APPLICATION INFORMATION

An example of application for the HEF4066B is:

- Analogue and digital switching



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Fig. 3 Schematic diagram (one switch).

# HEF4066B

gates

## RATINGS

Limiting values in accordance with the Absolute Maximum System (IEC 134)

Power dissipation per switch

P max. 100 mW

For other RATINGS see Family Specifications

## D.C. CHARACTERISTICS

T<sub>amb</sub> = 25 °C

	V <sub>DD</sub> V	symbol	min.	typ.	max.	conditions
ON resistance	5	R <sub>ON</sub>	—	350	2500	E <sub>n</sub> at V <sub>DD</sub> V <sub>is</sub> = V <sub>SS</sub> to V <sub>DD</sub> see Fig. 4
	10		—	80	245	
	15		—	60	175	
ON resistance	5	R <sub>ON</sub>	—	115	340	E <sub>n</sub> at V <sub>DD</sub> V <sub>is</sub> = V <sub>SS</sub> see Fig. 4
	10		—	50	160	
	15		—	40	115	
ON resistance	5	R <sub>ON</sub>	—	120	365	E <sub>n</sub> at V <sub>DD</sub> V <sub>is</sub> = V <sub>DD</sub> see Fig. 4
	10		—	65	200	
	15		—	50	155	
'Δ' ON resistance between any two channels	5	ΔR <sub>ON</sub>	—	25	—	E <sub>n</sub> at V <sub>DD</sub> V <sub>is</sub> = V <sub>SS</sub> to V <sub>DD</sub> see Fig. 4
	10		—	10	—	
	15		—	5	—	
OFF state leakage current, any channel OFF	5	I <sub>OZ</sub>	—	—	—	E <sub>n</sub> at V <sub>SS</sub>
	10		—	—	—	
	15		—	—	200	
E <sub>n</sub> input voltage LOW	5	V <sub>IL</sub>	—	2,25	1	I <sub>is</sub> = 10 μA see Fig. 9
	10		—	4,50	2	
	15		—	6,75	2	

	V <sub>DD</sub> V	symbol	T <sub>amb</sub> (°C)			conditions
			−40 max.	+25 max.	+85 max.	
Quiescent device current	5	I <sub>DD</sub>	1,0	1,0	7,5	V <sub>SS</sub> = 0; all valid input combinations; V <sub>I</sub> = V <sub>SS</sub> or V <sub>DD</sub>
	10		2,0	2,0	15,0	
	15		4,0	4,0	30,0	
Input leakage current at E <sub>n</sub>	15	± I <sub>IN</sub>	—	300	1000	E <sub>n</sub> at V <sub>SS</sub> or V <sub>DD</sub>

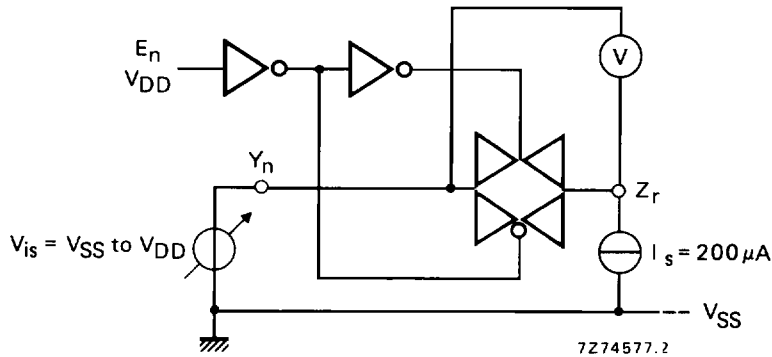


Fig. 4 Test set-up for measuring  $R_{ON}$ .

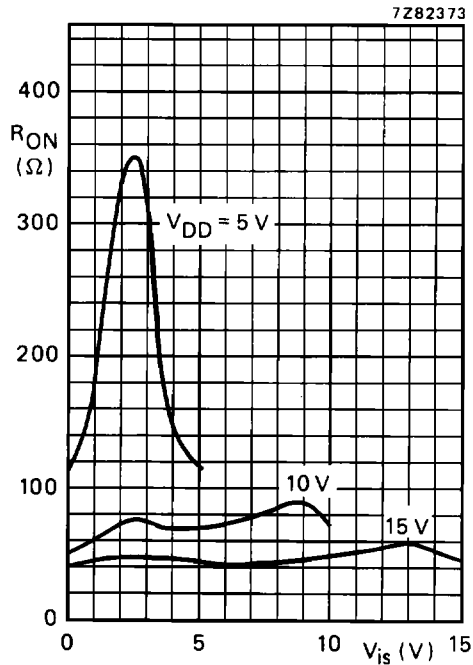


Fig. 5 Typical  $R_{ON}$  as a function of input voltage.

$E_n$  at  $V_{DD}$   
 $I_{is} = 200 \mu A$   
 $V_{SS} = 0 V$

**NOTE**

To avoid drawing  $V_{DD}$  current out of terminal Z, when switch current flows into terminals Y, the voltage drop across the bidirectional switch must not exceed 0,4 V. If the switch current flows into terminal Z, no  $V_{DD}$  current will flow out of terminals Y, in this case there is no limit for the voltage drop across the switch, but the voltages at Y and Z may not exceed  $V_{DD}$  or  $V_{SS}$ .

## A.C. CHARACTERISTICS

 $V_{SS} = 0\text{ V}$ ;  $T_{amb} = 25\text{ }^{\circ}\text{C}$ ; input transition times  $\leq 20\text{ ns}$ 

	$V_{DD}$ V	symbol	typ.	max.		
Propagation delays $V_{is} \rightarrow V_{os}$ HIGH to LOW	5	tPHL	10	20	ns	} note 1
	10		5	10	ns	
	15		5	10	ns	
LOW to HIGH	5	tPLH	10	20	ns	} note 1
	10		5	10	ns	
	15		5	10	ns	
Output disable times: $E_n \rightarrow V_{os}$ HIGH	5	tPHZ	80	160	ns	} note 2
	10		65	130	ns	
	15		60	120	ns	
LOW	5	tPLZ	80	160	ns	} note 2
	10		70	140	ns	
	15		70	140	ns	
Output enable times $E_n \rightarrow V_{os}$ HIGH	5	tPZH	40	80	ns	} note 2
	10		20	40	ns	
	15		15	30	ns	
LOW	5	tPZL	45	90	ns	} note 2
	10		20	40	ns	
	15		15	30	ns	
Distortion, sine-wave response	5		0,25		%	} note 3
	10		0,04		%	
	15		0,04		%	
Crosstalk between any two channels	5		—		MHz	} note 4
	10		1		MHz	
	15		—		MHz	
Crosstalk; enable input to output	5		—		mV	} note 5
	10		50		mV	
	15		—		mV	
OFF-state feed-through	5		—		MHz	} note 6
	10		1		MHz	
	15		—		MHz	
ON-state frequency response	5		—		MHz	} note 7
	10		90		MHz	
	15		—		MHz	
	$V_{DD}$ V	typical formula for P ( $\mu\text{W}$ )		where		
Dynamic power dissipation per package (P)	5	$800 f_i + \Sigma(f_o C_L) \times V_{DD}^2$		$f_i$ = input freq. (MHz)		
	10	$3\,500 f_i + \Sigma(f_o C_L) \times V_{DD}^2$		$f_o$ = output freq. (MHz)		
	15	$10\,100 f_i + \Sigma(f_o C_L) \times V_{DD}^2$		$C_L$ = load capacitance (pF)		
				$\Sigma(f_o C_L)$ = sum of outputs		
				$V_{DD}$ = supply voltage (V)		

**NOTES**

$V_{is}$  is the input voltage at a Y or Z terminal, whichever is assigned as input.

$V_{os}$  is the output voltage at a Y or Z terminal, whichever is assigned as output.

1.  $R_L = 10\text{ k}\Omega$  to  $V_{SS}$ ;  $C_L = 50\text{ pF}$  to  $V_{SS}$ ;  $E_n = V_{DD}$ ;  $V_{is} = V_{DD}$  (square-wave); see Figs 6 and 10.

2.  $R_L = 10\text{ k}\Omega$ ;  $C_L = 50\text{ pF}$  to  $V_{SS}$ ;  $E_n = V_{DD}$  (square-wave);

$V_{is} = V_{DD}$  and  $R_L$  to  $V_{SS}$  for  $t_{PHZ}$  and  $t_{PZH}$ ;

$V_{is} = V_{SS}$  and  $R_L$  to  $V_{DD}$  for  $t_{PLZ}$  and  $t_{PZL}$ ; see Figs 6 and 11.

3.  $R_L = 10\text{ k}\Omega$ ;  $C_L = 15\text{ pF}$ ;  $E_n = V_{DD}$ ;  $V_{is} = \frac{1}{2} V_{DD(p-p)}$  (sine-wave, symmetrical about  $\frac{1}{2} V_{DD}$ );

$f_{is} = 1\text{ kHz}$ ; see Fig. 7.

4.  $R_L = 1\text{ k}\Omega$ ;  $V_{is} = \frac{1}{2} V_{DD(p-p)}$  (sine-wave, symmetrical about  $\frac{1}{2} V_{DD}$ );

$$20 \log \frac{V_{os} (B)}{V_{is} (A)} = -50\text{ dB}; E_n (A) = V_{SS}; E_n (B) = V_{DD}; \text{ see Fig. 8.}$$

5.  $R_L = 10\text{ k}\Omega$  to  $V_{SS}$ ;  $C_L = 15\text{ pF}$  to  $V_{SS}$ ;  $E_n = V_{DD}$  (square-wave); crosstalk is  $|V_{os}|$  (peak value); see Fig. 6.

6.  $R_L = 1\text{ k}\Omega$ ;  $C_L = 5\text{ pF}$ ;  $E_n = V_{SS}$ ;  $V_{is} = \frac{1}{2} V_{DD(p-p)}$  (sine-wave, symmetrical about  $\frac{1}{2} V_{DD}$ );

$$20 \log \frac{V_{os}}{V_{is}} = -50\text{ dB}; \text{ see Fig. 7.}$$

7.  $R_L = 1\text{ k}\Omega$ ;  $C_L = 5\text{ pF}$ ;  $E_n = V_{DD}$ ;  $V_{is} = \frac{1}{2} V_{DD(p-p)}$  (sine-wave, symmetrical about  $\frac{1}{2} V_{DD}$ );

$$20 \log \frac{V_{os}}{V_{is}} = -3\text{ dB}; \text{ see Fig. 7.}$$

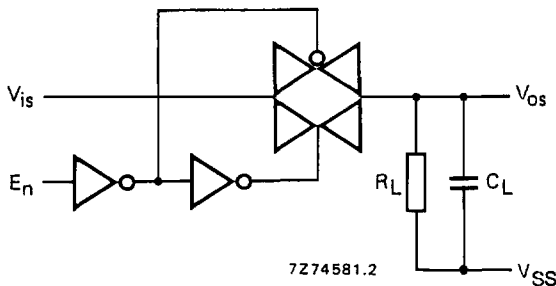


Fig. 6.

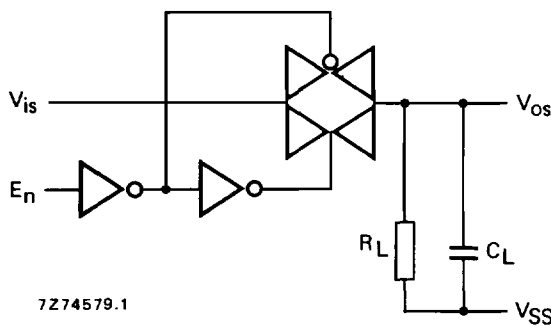


Fig. 7.

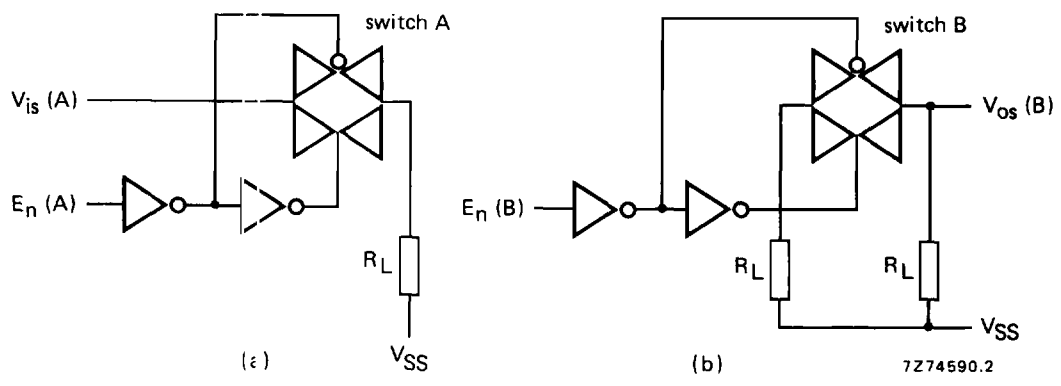


Fig. 8.

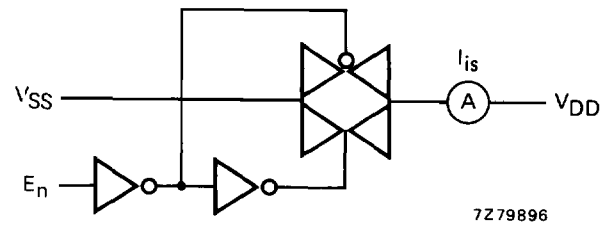


Fig. 9.

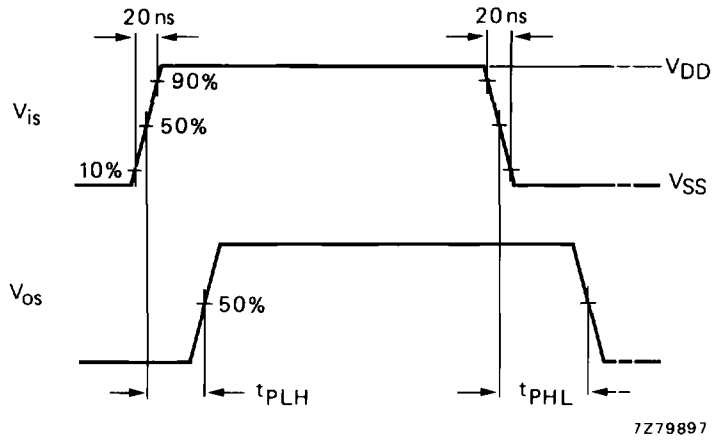
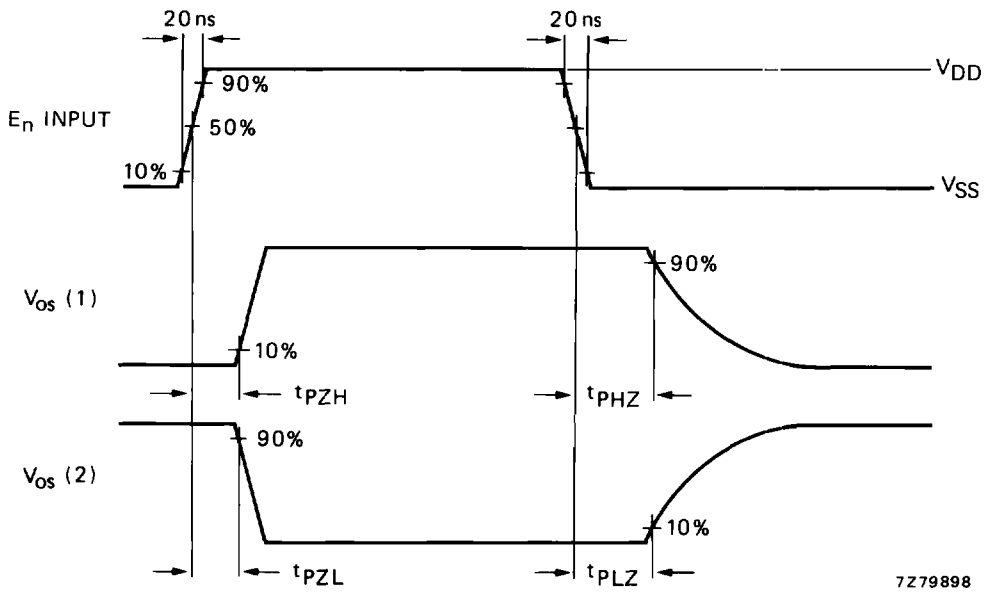


Fig. 10 Waveforms showing propagation delays from  $V_{is}$  to  $V_{os}$ .



(1)  $V_{is}$  at  $V_{DD}$ ; (2)  $V_{is}$  at  $V_{SS}$ .

Fig. 11 Waveforms showing output disable and enable times.